



Adaptive CDMA Cell Sectorization with Linear Multiuser Detection

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MOTIVATION

- ❖ Conventional sectorization (equal angular region) may not perform well especially in nonuniform terminal distribution.
- ❖ Adaptive sectorization in response to terminal locations in conjunction with linear multiuser detection can improve uplink CDMA capacity

System Model

- ❖ We consider a synchronous uplink CDMA system with K users and processing gain G.
- ❖ The cell is sectorized to N sectors
- ❖ Perfect directional antenna, i.e., no intersector interference is assumed

Problem Statement

- ❖ Assuming base station is employing linear multiuser detections, we minimize the total uplink transmit power, while each user satisfies minimum quality of service (SIR) at the base station
- ❖ We formulate the total transmit power optimization problem as a function of the sectorization arrangement, the transmit power levels, and the receiver filters at the base station.

$$\min_{\theta, p} \sum_{k=1}^N \sum_{i \in g_k(\theta)} p_i \quad (1)$$

$$s.t. \quad \gamma_i = \frac{p_i h_i (c_i^T s_i)^2}{\sum_{j \neq i, j \in g_k(\theta)} p_j h_j (c_j^T s_i)^2 + \sigma^2 (c_i^T c_i)^2} \geq \gamma^* \quad (2)$$

p_i transmit power for user i
 h_i channel gain
 γ_i Signal to noise ratio (SIR)
 c_i Receiver filter
 s_i signature
 γ^* target SIR
 σ^2 Noise power
 $g_k(\theta)$ Set of users that resides in sector k

Note: minimum total power is achieved when (2) is satisfied with equality.

We can show that, **when the squared cross correlations are equal**, minimum power is achieved at equal received power in a sector, Then, (1) is expressed as

$$\min_{\theta, p} \sum_{k=1}^N q_k^* \sum_{i \in g_k(\theta)} \frac{1}{h_i} \quad (3)$$

which can be transformed into a graph partitioning problem and solved by a shortest path algorithm.

We consider two such cases (equal cross correlation):

Case I Random-sequences (large system analysis)

Case II M-sequences

Parameters for Numerical Results

sectors: $N=6$
 Noise power: $\sigma^2 = 10^{-13}$
 target SIR: $\gamma^* = 5$
 $K=60$ users, processing gain $G=64$ (Case I)
 $K=36$ users, processing gain $G=7$ (Case II)

Numerical Results

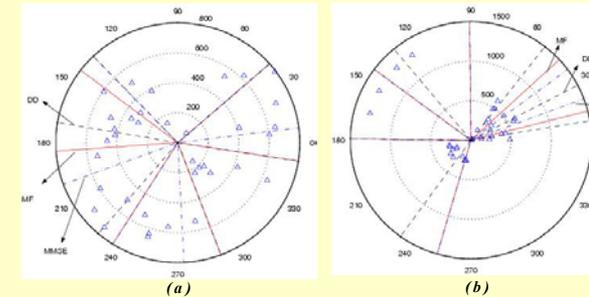
Optimum Transmit Power [WATTS] with Random-sequences

User Distribution	Uniform	Non uniform
MF	11.46	17.02
DD	4.04	9.70
MMSE	3.92	9.62

Optimum Transmit Power [WATTS] with M-sequences

User Distribution	Uniform	Non uniform
MF	3.20	6.03
DD	2.18	5.06
MMSE	1.89	4.80

Note: MF(Matched Filter), DD(Decorrelator), MMSE(MMSE Detector)



Sector boundary of uniform distribution (a), non uniform distribution (b) with M-sequences

Conclusion

- ❖ MMSE detector has 65% (nonuniform), 43% (uniform) power saving over MF (Random sequence).
- ❖ MMSE detector has 40% (nonuniform), 20% (uniform) power saving over MF (M-sequence).
- ❖ Incorporation of a better receiver structure provides significant power savings, and user capacity can be improved by employing linear multiuser receivers in conjunction with adaptive sectorization.