



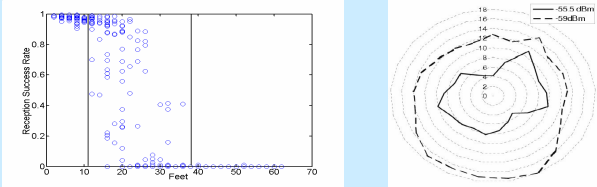
# Spatial Correlation-based Link Quality Estimator and Its Applications in Location-Aware Wireless Sensor Networks



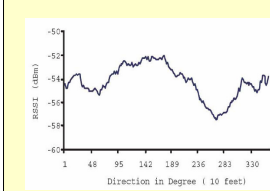
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## Problem and Motivation

Many higher-layer protocol designs are based on *an ideal spherical* communication pattern.



Need wireless link quality estimation and redesign of higher-layer protocols by taking into account link quality



**Spatial Correlation in wireless communication link quality**

Leveraging spatial correlation in link quality estimation, such that communication between a pair of nodes can be used not only for the estimation between them, but also for nodes geographically close

## Design of Spatial-based Link Quality Estimator

Using regression model to capture the spatial correlation and to estimate the link quality

How to model the spatial correlation ?

How the model adapt to link quality changes over time ?

How to ensure the model accuracy ?

### Modeling the Spatial Correlation in Link Quality

- A source node collects
  - $s$ : the location from a set of neighbor nodes
  - $p$ : their link quality

Correlation between  $s$  and  $p$  is modeled as

$$\hat{p} = f(s) = \beta_0 \Phi_0(s) + \beta_1 \Phi_1(s) + \dots + \beta_k \Phi_k(s).$$

Regression coefficient are derived as

$$\beta = \left( \Phi(s)^T \Phi(s) \right)^{-1} \Phi(s)^T p$$

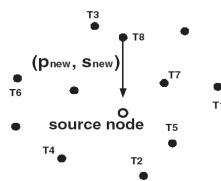
$$= \left( \Phi(x, y)^T \Phi(x, y) \right)^{-1} \Phi(x, y)^T p$$

### Sliding Window for Real-time Data Collection

- Regression model only considers the data falling into the sliding window
- Criteria for discarding data from the window
  - Temporal condition: oldest data is discarded ( $T_1$ )
  - Spatial Condition: the closest data within a threshold  $\rightarrow$  ( $T_3$ )

Regression Updates

- Update  $\Phi(s)$  and  $p$  and re-compute regression coefficients
- Or update regression functions based on a threshold hold for  $(p_i - \hat{p}_i)^2$



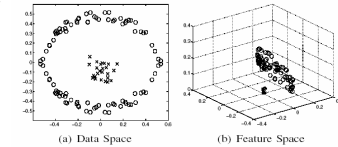
### Weighted Regression Algorithm – capturing the irregularity in link quality

Weighted regression algorithm:

- classify collected  $(p, s)$  to  $c$  classes
- derive a regression function for each class  $f^{(c)}$
- link quality at  $(x, y)$  is estimated as

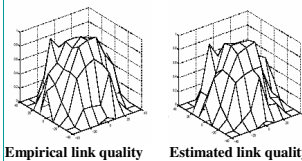
$$\hat{p} = w^{(1)} f^{(1)}(x, y) + w^{(2)} f^{(2)}(x, y) + \dots + w^{(c)} f^{(c)}(x, y)$$

- The weight in the estimation
  - measuring the spatial closeness between the location point and each class
  - space transformation tech:** weight is calculated by distance between the location point and the regression surface of a class in transformed space

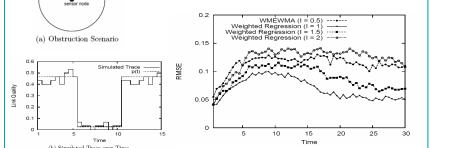


### Performance Study

#### Link Quality Estimation

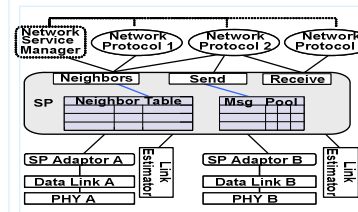


#### Estimator Adaptability with moving obstacle scenario

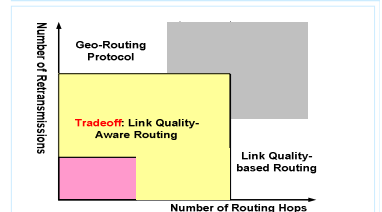


## Link Quality-Aware Geo-Routing

### Link Quality Estimation Services



### Link Quality-Aware Geo-Routing Design Space



### Performance of Link Quality-Aware Geo-Routing

