



# The Fading Multiple-Access Wire-Tap Channel

PENNSTATE



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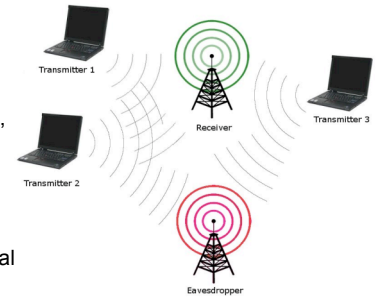
❖ We live in a wireless world (e.g. Wi-Fi, cell phones, RF-ID chips), which means that our communications channel is:

- Easy to tap without being detected; and
- Unprotected against jamming.

❖ Thus far, the design of wireless networks has been guided solely by efforts to increase capacity, however, there is a dire need to incorporate **security** in design.

- For example, the security of e-banking and e-shopping applications is of far greater importance than the data transmission rates of these transactions.

❖ The security issue is traditionally left to the upper layers, but we need to incorporate security into the actual *physical layer*



design of wireless communications systems to address the following problems:

- Design **confidential** systems while keeping communications **secure** in the presence of an intelligent and informed eavesdropper.
- Encryption may be unfeasible for small, simple nodes.

## Cooperative Secrecy

❖ Achievable secrecy sum-rate using “wire-tap codes” is the difference of the sum-capacities of the main and eavesdropper channels:

$$R_{sum}^s = C_{sum}^{main} - C_{sum}^{eavesdropper}$$

❖ Since both terms are a function of transmit powers, we can optimize the secrecy sum-rate over the transmit powers.

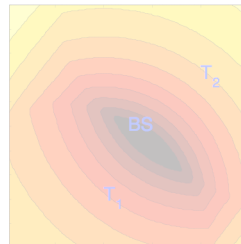
- Users with better eavesdropper channels cease transmission,
- Users with better main channel gains transmit with maximum power.

❖ Can these idle users somehow help?

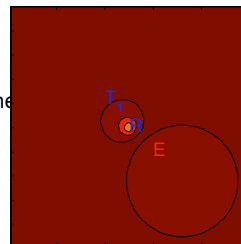
- Observe: These idle users can jam the eavesdropper very effectively.
- Even though jamming hurts the intended receiver as well, since it hurts the eavesdropper more, the secrecy sum-rate increases!

❖ **Cooperative Jamming:** Optimum power allocation is such that the

- strongest users transmit with maximum power,
- the weakest users jam with maximum power,
- one limiting user jams with nonzero/nonmaximum power.



Secrecy sum-rates vs. eavesdropper location in geographic area for 2 users



Sum-rates vs.  $T_2$  location in geographic area for 2 users w/ and w/o secrecy

Fading Wire-Tap Channels

❖ Practical wireless scenarios incur fading.

❖ We consider slow, ergodic block-fading.

❖ In fading channels, it is optimal for a user to

- save their power during deep fades,
- transmit only when the channel gain is greater than a threshold  $h_k \geq \lambda$
- Water-filling power allocation.

❖ In multiple-access channels, it is capacity-optimal for only the **best** user to transmit at any given fading block.

❖ 2-user *fading wire-tap* channel:

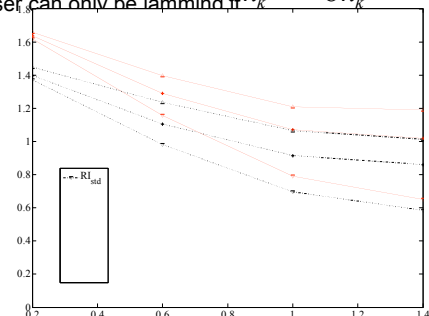
- Generally, a user only transmits if the *difference of the main and eavesdropper channel gains* exceeds a threshold, i.e.,  $h_k - h_k^e \geq \lambda$
- Sometimes it is optimal for both users to be transmitting!

❖ **Cooperative Jamming:** decreases the necessary *effective* threshold

➢ A user can only be transmitting if for some  $a > b > 0$

$$ah_k^{main} - bh_k^{eavesdropper} \geq \lambda$$

➢ A user can only be jamming if  $ah_k^{main} - bh_k^{eavesdropper} < 0$



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